A high-resolution hydrodynamic-biogeochemical coupled model of the Gulf of Cadiz – Alboran Sea region.

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Abstract

The southern Iberia regional seas comprise the Gulf of Cadiz and the Alboran Sea sub-basins connected by the narrow Strait of Gibraltar. Both basins are very different in their hydrological and biological characteristics but are, also, tightly connected to each other. Integrative studies of the whole regional oceanic system are scarce and difficult to perform due to the relative large area to cover and the different relevant time-scales of the main forcing in each sub-basin. Here we propose, for the first time, a fully coupled, 3D, hydrodynamic-biogeochemical model that covers, in a single domain (~2km resolution) both marine basins for a 20-year simulation (1989-2008). Model performance is assessed against available data in terms of spatial and temporal distribution of biological variables. In general, the proposed model is able to represent the climatological distribution of primary and secondary producers and also the main seasonality of primary production in the various sub-regions of the analyzed basins. Potential causes of the observed mismatches between model and data are identified and some solutions are proposed for future model development. We conclude that most of these mismatches could be attributed to the missing tidal forcing in the actual model configuration. This model is a first step towards obtaining a meaningful tool to study past and future oceanographic conditions in this important marine region, which constitutes the unique connection between the Mediterranean Sea and the open ocean.

Keywords: Numerical modelling, Tidal effect, Surface Chlorophyll, Gulf of Cadiz, Alboran Sea, Strait of Gibraltar.

Introduction

The southern Iberia marginal seas are a complicated oceanographic area due to the presence of two marine basins with particularly different characteristics, the Atlantic Ocean and the Mediterranean Sea. Both basins are connected by a constricted connection known as the Strait of Gibraltar which is only 14 km wide at its narrowest section. At both sides of the Strait, there are two substantially different regional sub-basins, the Gulf of Cadiz (GoC) on the Atlantic side and the Alboran Sea in the Mediterranean part.

The GoC is a mesotidal basin with a wide continental shelf and some important rivers discharging in its coastal zone. The GoC presents medium primary productivity levels (e.g. Echevarria et al., 2009) mainly associated to the coastal zone, to frontal regions and to the discharges of the main river, the Guadalquivir (Navarro & Ruiz, 2006; García-Lafuente & Ruiz, 2007; Prieto et al., 2009). All this primary productivity is channelled up through the food web to maintain quite high fish productivity and diversity (Catalan et al., 2006; Ruiz et al., 2009) that sustain an economically important fishing activity in the region (Baldo et al., 2006).

On the other side, in the Alboran Sea, there are no important river discharges, the tidal influence is much lower, the continental shelf is narrower and one of the main drivers of primary productivity in the region is the inflow of Atlantic waters through the Strait of Gibraltar (Macias et al., 2007a). Productivity levels are usually lower than in the GoC (e.g. Echevarria et al., 2009) while fishery yields are also less important than on the Atlantic side.

Water exchange through the Strait of Gibraltar is due to typically anti-estuarine circulation, with surface Atlantic waters (the Atlantic Jet, AJ) flowing into the Alboran Sea and an outflow of Mediterranean waters in the layer below (e.g. Armi & Farmer, 1985). The biogeochemical composition of the AJ is dependent on several aspects such as the original characteristics in the GoC (Navarro et al., 2006), interfacial mixing along the channel of the Strait (e.g. Macias et al., 2006; 2007b), and coastal-channel interactions (lateral cross-shelf mixing) driven by tidal motion within the Strait (e.g. Vazquez et al., 2009; Navarro et al., 2011; Bruno et
Any changes in AJ characteristics have a large influence on the dynamics and productivity of the pelagic ecosystem of the Alboran Sea (e.g. Ruíz et al., 2001; Macías et al., 2009; Oğuz et al., 2013).

It is then clear that the dynamics of both sub-basins cannot be fully understood if studied separately and that an integrative approach is much needed in this region. However, integrated field studies (e.g. Rubin et al., 1997; Echevarría et al., 2009) are difficult to perform due to the different time-scales of forcing mechanisms in the two regions and to the relative large area to cover. Henceforth, locally-focused studies centred either in the GoC (e.g. Navarro et al., 2006; Prieto et al., 2009), the Alboran Sea (e.g. Sarhan et al., 2000; Macías et al., 2008a, 2009) or the Strait of Gibraltar (e.g. Macías et al., 2008b; Bruno et al., 2013; Ramírez-Romero et al., 2014) are much more common.

A numerical model encompassing the marine environment at both sides of the Strait could be an alternative and a very useful tool to quantify the integrated effects and connections within this system. However, and given the heterogeneity of the characteristics of these two interconnected basins it is quite challenging to create a single numerical modelling framework that is able to represent both systems correctly, with a high resolution and covering a multi-year time span. This was accomplished recently by the hydrodynamic model developed in Peliz et al. (2013a), where successful multiannual runs for the two basins were presented.

In this manuscript we advance the simulations of Peliz et al. (2013a) by coupling a newly developed biogeochemical model specifically tailored to represent the pelagic ecosystem of the GoC and the Alboran Sea.

Material and Methods

We use the Regional Ocean Modelling System (ROMS) (e.g. Shchepetkin & McWilliams, 2005) coupled with a biological module that describes pelagic aspects of nitrogen cycling. The physical model configuration is extensively explained in Peliz et al. (2013a, b) and covers the GoC and Alboran basins (Fig. 1). The model has 32 sigma vertical levels, with moderate stretching at surface, and ~2 x 2 km horizontal resolution. It includes a Mediterranean mass balance that enables correct representation of the exchange through the Strait of Gibraltar. Tidal dynamics are not included in model configuration.

Our biogeochemical simulation covers the period from 1989 to 2008 and outputs are stored in 2-day averages.

Biogeochemical Model: $N, P, Z, D$

This model was adapted from the biological code in the ROMS package (based on Fasham et al., 1990) following the philosophy of Koné et al. (2005) in adopting a double compartment version of the nitrogen-based model (summing eight state variables). The dissolved inorganic nitrogen is represented by nitrate ($N_O$) and ammonium ($N_H$). Phytoplankton, zooplankton and detritus communities are represented by small ($P_s, Z_s$ and $D_s$) and large ($P_l, Z_l$ and $D_l$) groups organisms. Phytoplankton cells are split into nanoplankton (small) and microplankton (large) while zooplankton compartments represent microzooplankton (small) and mesozooplankton (large). A conceptual diagram of the formulated model is shown in Figure 2.

Since our model follows the Fasham et al. (1990) model’s basic structure, we will mainly focus on our modifications to the code in the following description. The equation parameters are defined in Table 1. Concerning the structure of the model, $\mu$ denotes a mortality or breakdown term, $\xi$ an excretion term, and $g$ a grazing term. All state variables are expressed in nitrogen currency (mMol N m$^{-3}$).

Temporal variations of small and large phytoplankton biomass are governed by biological source-minus-sink terms of the form,

![Fig. 1: Modelled domain with main isobaths (each 100 meters) indicated as dashed lines. The seven eco-regions where seasonality of the model is assessed against measured data are indicated by red boxes (see text for explanation). R1 (Open Gulf of Cadiz), R2 (Cape San Vicente), R3 (Cape Santa María), R4 (Guadalquivir coastal zone), R5 (Cape Trafalgar), R6 (Western Alboran Gyre) and R7 (Estepona upwelling).](image-url)
Fig. 2: Conceptual diagram of the biogeochemical model used. Boxes represent state variables and arrows are energy and mass fluxes.

\[ \text{s}m_{\text{s}}(P_{i}) = J_{i}(\text{NO}_3)[P_{i}] + J_{i}(\text{NH}_4)[P_{i}]- g_{\text{s}P_{i}}[P_{i}]+ g_{\text{sp}P_{i}}[P_{i}] - \mu_{s}^{\text{P}_{i}}[P_{i}] \]  

(1)

\[ \text{s}m_{\text{s}}(P_{i}) = J_{i}(\text{NO}_3)[P_{i}] + J_{i}(\text{NH}_4)[P_{i}]- g_{\text{s}P_{i}}[P_{i}]+ g_{\text{sp}P_{i}}[P_{i}] - \mu_{s}^{\text{P}_{i}}[P_{i}]- L_{P} \frac{\Delta [P]}{\Delta z} \]  

(II)

Phytoplankton growth rate depends on light and temperature, expressed in the equation by \( J_{i} \) (i stands for small or large), and on nutrient uptake, expressed by \( Q_{\text{s}}(\text{NO}_3) \) and \( Q_{\text{s}}(\text{NH}_4) \).

\[ J_{i} = \frac{V_{i}^{p} \text{PAR}_{i}}{\sqrt{V_{i}^{p} \text{PAR}_{i} + \text{PAR}s_{i}}} \]  

(1)

\[ V_{i} = \alpha \times 1.066^{T} \]  

(2)

\[ \text{PAR} = \text{PAR}_0 \exp[-0.5(k_{s} + k_{s2}P_{i}(k))]{\Delta}z(k) \]  

(3)

The \( J_{i} \) function is controlled by temperature-saturated growth \( (V_{i}^{p})(\text{Epplley, 1972}) \), Photosynthetically Available Radiation \( (\text{PAR}) \), and by initial slope of the P-I curve \( (\alpha) \). \( \text{PAR} \) is given by the exponential decay in depth of PAR at surface \( (\text{PAR}) \), where \( k_{s} \) and \( k_{s2} \) are light attenuation due to sea water and chlorophyll, \( A_z \) the depth step and \( [P_{i}(k)] \) the total phytoplankton concentration at \( k \) level.

\[ Q_{\text{s}}(\text{NO}_3) = \frac{[\text{NO}_3]}{K_{\text{sNO}_3} + [\text{NO}_3]} \]  

(4)

\[ Q_{\text{s}}(\text{NH}_4) = \frac{[\text{NH}_4]}{K_{\text{sNH}_4} + [\text{NH}_4]} \]  

(5)

Nitrogen limitation is given by a Michaelis-Menten function for nitrate (4) and ammonium (5) where nitrate uptake is assumed to be inhibited in the presence of ammonium, following Parker (1993) \( K_{\text{sNO}_3} \) and \( K_{\text{sNH}_4} \) are the half saturation constants for \( \text{NO}_3 \) and \( \text{NH}_4 \) uptake, respectively.

The rate of zooplankton grazing \( g_{\text{zy}x} \) depends on the predator \( y \) (small or large zooplankton), the prey \( x \) (phytoplankton, detritus or small zooplankton) and maximum grazing rate \( g_{\text{max}y} \), food preference \( e_{\text{yx}} \), half-saturation constant for ingestion \( K_{\text{xy}} \) and total food available \( F_{y} \) or each predator.

\[ g_{\text{yx}} = g_{\text{max}y} e_{\text{yx}} \left( \frac{[x]}{K_{\text{xy}} + F_{y}} \right) \]  

(6)

Small zooplankton consumes preferentially small phytoplankton \( (e_{s2,s}=0.7) \) and less efficiently large phytoplankton and small detritus \( (e_{s2,l}=0.4; e_{s2,d}=0.3) \). Large zooplankton grazes preferentially on large phytoplankton \( (e_{l2,l}=0.7) \), and less efficiently on small phytoplankton, small zooplankton and large detritus \( (e_{l2,s}=0.2; e_{l2,l}=0.4; e_{l2,d}=0.3) \).

The remaining phytoplankton loss terms are mortality, represented by a linear rate \( \mu \), and vertical sinking only.
Table 1. Definition of biogeochemical $N_PZ_D$ model parameters. Where not specifically indicated, they come from the values defined in Koné et al. (2005).

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Definition</th>
<th>Value</th>
<th>Units</th>
</tr>
</thead>
<tbody>
<tr>
<td>$k_L$</td>
<td>Light attenuation due to seawater</td>
<td>0.06</td>
<td>m$^{-1}$</td>
</tr>
<tr>
<td>$k_{ch}$</td>
<td>Light attenuation due to chlorophyll</td>
<td>0.03</td>
<td>(m$^2$/mgChla)$^{-1}$</td>
</tr>
<tr>
<td>$r_{CNP}$</td>
<td>C/N ratio for phytoplankton</td>
<td>6.625</td>
<td>mMol C (mMol N)$^{-1}$</td>
</tr>
<tr>
<td>$\alpha_s$</td>
<td>Small phytoplankton initial slope of the P-I curve</td>
<td>0.21</td>
<td>m$^3$W$^{-1}$</td>
</tr>
<tr>
<td>$\alpha_i$</td>
<td>Large phytoplankton initial slope of the P-I curve</td>
<td>0.25</td>
<td>m$^3$W$^{-1}$</td>
</tr>
<tr>
<td>$\theta$</td>
<td>Maximum cellular Chl/Carbon ratio for phytoplankton</td>
<td>0.02</td>
<td>mg Chla (mg C)$^{-1}$</td>
</tr>
<tr>
<td>$K_{NO_3}$</td>
<td>Half-saturation for small phytoplankton NO$_3$ uptake</td>
<td>0.3</td>
<td>mMol N m$^{-3}$</td>
</tr>
<tr>
<td>$K_{NO_2}$</td>
<td>Half-saturation for large phytoplankton NO$_2$ uptake</td>
<td>0.6</td>
<td>mMol N m$^{-3}$</td>
</tr>
<tr>
<td>$K_{NH_4}$</td>
<td>Half-saturation for small phytoplankton NH$_4$ uptake</td>
<td>0.2</td>
<td>mMol N m$^{-3}$</td>
</tr>
<tr>
<td>$K_{NH_2}$</td>
<td>Half-saturation for large phytoplankton NH$_2$ uptake</td>
<td>0.4</td>
<td>mMol N m$^{-3}$</td>
</tr>
<tr>
<td>$K_{n,arb}$</td>
<td>Half-saturation constant for nitrification</td>
<td>10</td>
<td>W m$^{-2}$</td>
</tr>
<tr>
<td>$K_{p}$</td>
<td>Small zooplankton half-saturation constant for ingestion</td>
<td>0.5</td>
<td>mMol N m$^{-3}$</td>
</tr>
<tr>
<td>$K_{p}$</td>
<td>Large zooplankton half-saturation constant for ingestion</td>
<td>0.8</td>
<td>mMol N m$^{-3}$</td>
</tr>
<tr>
<td>$K_{p,e}$</td>
<td>Half-saturation constant of higher predation on small zooplankton</td>
<td>0.005</td>
<td>mMol N m$^{-3}$</td>
</tr>
<tr>
<td>$K_{p,l,p}$</td>
<td>Half-saturation constant of higher predation on large zooplankton</td>
<td>0.005</td>
<td>mMol N m$^{-3}$</td>
</tr>
<tr>
<td>$\beta_s$</td>
<td>Small zooplankton assimilation efficiency of food</td>
<td>0.8</td>
<td>n.d.</td>
</tr>
<tr>
<td>$\beta_l$</td>
<td>Large zooplankton assimilation efficiency of food</td>
<td>0.7</td>
<td>n.d.</td>
</tr>
<tr>
<td>$e_{s,av}$</td>
<td>Maximum small zooplankton grazing rate</td>
<td>1</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$e_{l,av}$</td>
<td>Maximum large zooplankton grazing rate</td>
<td>0.6</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$\epsilon_s$</td>
<td>Small zooplankton preference for small phytoplankton</td>
<td>0.4</td>
<td>n.d.</td>
</tr>
<tr>
<td>$\epsilon_l$</td>
<td>Small zooplankton preference for large phytoplankton</td>
<td>0.4</td>
<td>n.d.</td>
</tr>
<tr>
<td>$\epsilon_{s,d}$</td>
<td>Small zooplankton preference for small detritus</td>
<td>0.3</td>
<td>n.d.</td>
</tr>
<tr>
<td>$\epsilon_{l,d}$</td>
<td>Large zooplankton preference for small detritus</td>
<td>0.2</td>
<td>n.d.</td>
</tr>
<tr>
<td>$\epsilon_{s,l,d}$</td>
<td>Large zooplankton preference for large phytoplankton</td>
<td>0.7</td>
<td>n.d.</td>
</tr>
<tr>
<td>$\epsilon_{l,d}$</td>
<td>Large zooplankton preference for large detritus</td>
<td>0.3</td>
<td>n.d.</td>
</tr>
<tr>
<td>$\xi_{s,ex}$</td>
<td>Small zooplankton specific excretion rate</td>
<td>0.1</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$\xi_{l,ex}$</td>
<td>Large zooplankton specific excretion rate</td>
<td>0.05</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$\mu_{n}$</td>
<td>Maximum nitrification of NH$_4$ to NO$_3$</td>
<td>0.1</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$\mu_{d}$</td>
<td>Small detrital breakdown to NH$_4$ rate</td>
<td>0.1</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$\mu_{d}$</td>
<td>Large detrital recycling to NH$_4$ rate</td>
<td>0.05</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$\mu_{s,d}$</td>
<td>Small phytoplankton mortality rate to small detritus</td>
<td>0.06</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$\mu_{l,d}$</td>
<td>Large phytoplankton mortality rate to small detritus</td>
<td>0.04</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$\mu_{s,l,d}$</td>
<td>Small zooplankton mortality rate to large detritus</td>
<td>0.08</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$\mu_{l,d}$</td>
<td>Large zooplankton mortality rate to large detritus</td>
<td>0.04</td>
<td>d$^{-1}$</td>
</tr>
<tr>
<td>$f_{s,l,p}$</td>
<td>Constant rate for predation function of higher predators on small zooplankton</td>
<td>0.1</td>
<td>(mMol Ny$^{-1}$ m$^{-3}$d$^{-1}$)</td>
</tr>
<tr>
<td>$f_{s,l,p}$</td>
<td>Constant rate for predation function of higher predators on large zooplankton</td>
<td>0.3</td>
<td>(mMol Ny$^{-1}$ m$^{-3}$d$^{-1}$)</td>
</tr>
<tr>
<td>$L_{s}$</td>
<td>Large phytoplankton sinking velocity</td>
<td>2.0</td>
<td>m d$^{-1}$</td>
</tr>
<tr>
<td>$L_{l}$</td>
<td>Small detritus maximum sinking velocity</td>
<td>0.8</td>
<td>m d$^{-1}$</td>
</tr>
<tr>
<td>$L_{s}$</td>
<td>Large detritus maximum sinking velocity</td>
<td>8.0</td>
<td>m d$^{-1}$</td>
</tr>
</tbody>
</table>

(a) Redfield C/N ratio (106/16), (b) Martin et al. (2001) and (c) Oguz et al. (2013).
for large phytoplankton, with constant velocity \( L_\text{gs} \). Sinking terms were considered for large phytoplankton and detritus since dead particulate tend to sink in the water column, and some species of larger phytoplankton may also sink at slower rate or aggregate with the detritus pool, which may affect phytoplankton dynamics. The algorithm for vertical sinking is based on the Colella & Woodward (1984) piecewise parabolic method and applied at the end of the biological exchanges and reactions.

Changes in zooplankton are controlled by grazing, excretion, mortality and predation terms,

\[
\text{sms}(Z_j) = g_{zj} [P_j]^p [P_j]^{1-p} + g_{zj} [D_j]^p [D_j]^{1-p} + g_{zj} [\mu_{zj}] [D_j] [\mu_{zj}] - g_{zj} \beta [Z_j] \mu_{zj} [Z_j] F_{zj}[Z_j] \tag{III}
\]

\[
\text{sms}(Z_j) = g_{zj} [P_j]^p [P_j]^{1-p} + g_{zj} [P_j] [P_j] + g_{zj} [D_j] [D_j] + g_{zj} [\mu_{zj}] [D_j] - g_{zj} \beta [Z_j] \mu_{zj} [Z_j] F_{zj}[Z_j] \tag{IV}
\]

Zooplankton grazing terms assume that zooplankton assimilates ingested food with \( \beta \) efficiency while the remaining is transferred to small and large detritus, respectively. The last terms in quadratic form represent zooplankton predation by higher trophic levels (i.e. fish) and do not re-enter the system, being completely lost. Oguz et al. (2013) propose the use of a predation function, dependent on zooplankton concentration, instead of a constant rate, enabling relatively strong predation for productive regions and weak for less productive. The implemented predation function \( F_{zj} \) is of the form:

\[
F_{zj} = \frac{f_{zs} [Z_j]}{K_{zj} + [Z_j]} \]

Changes in detritus are governed by the following equations:

\[
\text{sms}(D_j) = g_{d} [P_j] [P_j] + g_{d} [D_j] [D_j] + g_{d} [\mu_{d}] [D_j] - g_{d} \beta [Z_j] \mu_{d} [Z_j] F_{d}[Z_j] \tag{V}
\]

\[
\text{sms}(D_j) = g_{d} [P_j] [P_j] + g_{d} [D_j] [D_j] + g_{d} [\mu_{d}] [D_j] - g_{d} \beta [Z_j] \mu_{d} [Z_j] F_{d}[Z_j] \tag{VI}
\]

The last term expresses detritus sinking, where sinking is stronger in the presence of higher concentrations of detritus that tend to aggregate.

\[
L_{d} = w_{d} \frac{K_{d} [D_j]}{\mu_{d} [D_j]} \tag{VII}
\]

Nutrients recycling and uptake processes are given by:

\[
\text{sms}(NO) = -J_{Q} (NO) / [NO] + J_{Q} (NO) / [NH] \tag{VIII}
\]

\[
\text{sms}(NH) = -J_{Q} (NH) / [NH] + J_{Q} (NH) / [NH] \tag{IX}
\]

\[
\frac{\partial Z_i}{\partial t} = \frac{\partial}{\partial x} \left( \beta_{Z} \frac{\partial Z_i}{\partial x} \right) + \frac{\partial}{\partial y} \left( \beta_{Z} \frac{\partial Z_i}{\partial y} \right) + \frac{\partial}{\partial z} \left( \beta_{Z} \frac{\partial Z_i}{\partial z} \right) \tag{IX}
\]

Nitrification of \( NH_4 \) to \( NO_3 \) is done at a constant rate of \( \mu_{n3} \). Excretion of zooplankton and detritus recycling, respectively with constant rates of \( \xi_{zj} \) and \( \mu_{d} \), provide the supply for recycled ammonium.

The bacterial component originally present in the Fasham et al. (1995) model has been substituted by detritus recycling parameterization (with constant rates \( \mu_{d} \) and \( \mu_{n} \)) following a common approach for coastal settings (e.g. Koné et al., 2005; Oguz et al., 2013). This is but a rough approximation that could create problems in some specific areas but also reduce the number of parameters included in the model for which specific information for this particular region is still lacking.

**Biogeochemical – hydrodynamic model coupling**

The evolution of the biological variables within the previous routine are incorporated in the physical model by adding the source-minus-sink term in the advection-diffusion equation,

\[
\frac{\partial B}{\partial t} + u \frac{\partial B}{\partial x} + v \frac{\partial B}{\partial y} + w \frac{\partial B}{\partial z} = \frac{\partial}{\partial x} \left( k_x \frac{\partial B}{\partial x} \right) + \frac{\partial}{\partial y} \left( k_y \frac{\partial B}{\partial y} \right) + \frac{\partial}{\partial z} \left( k_z \frac{\partial B}{\partial z} \right) + \text{sms} (B) \tag{X}
\]

where \( B_\text{v} \) is the concentration of the biological state variable \( v \). The first term on the left-hand side accounts for tendency and the latter for advection, \( u \) and \( v \) stand for horizontal water velocity and \( w \) for vertical water velocity. On the right side, the first three terms represent horizontal and vertical diffusion, with \( k_x, k_y, k_z \) being the respective eddy diffusion coefficients.

In contrast to the null explicit diffusion given to the physical variables in Peliz et al. (2013a), due to the dispersive properties of the advection-diffusion equation, biological state variables needed an explicit diffusion term to avoid numerical problems related with the advection schemes. A 60 m/s\(^3\) horizontal diffusion coefficient was implemented to biological tracers to avoid negative false values.

A third-order upstream-biased accurate predictor–corrector –leapfrog/Adams–Moulton – time step algorithm (Shchepetkin & McWilliams, 2005) is used for tracers. Further numerical options and parameterizations implemented to solve the latter equation (10) are referred in Peliz et al. (2013a).

For each time step, the evolution of any biological variable is performed by the advection-diffusion equation, while biological dynamics are computed afterwards in the biological routine. For each baroclinic time step, \( \delta t \) (200 s) the biogeochemical routine is integrated three times, \( 8\delta t \) -66.7 s.

**Initial and Boundary Conditions. Atmospheric forcing**

The initial and open boundary fields for nitrate, phytoplankton and zooplankton were taken from MEDATLAS (http://www.ifremer.fr/medar/) for the Mediterranean and from WOA2005 (www.nodc.noaa.gov/OC5/WOA05) for the Atlantic.
Ammonium initial and boundary fields (not available from the datasets) were obtained by assuming that \([NH_4]^+=[NO_3]^{-}/2.6\). This ratio was calculated using the information from a dataset of more than 1500 nutrient analyses in the Gulf of Cadiz and Alboran regions (Navarro et al., 2006; Prieto et al., 2009).

For the two different phytoplankton functional types, information was gathered from the study regions (Prieto et al., 2009 and unpublished data) and also from the North Atlantic (Huete-Ortega et al., 2011), representing open sea regions. As previously described (Li, 2002; Echevarria et al., 2009), in oligotrophic waters the relative contribution of large cells is low but it quickly increases in more eutrophic environments. By exponential regression, the relation between the percentage of large cells of phytoplankton and total chlorophyll concentration is computed as \(\%P_l = 17.92 + 69.87(1-e^{-3.705[Chla]})\). Thus, large phytoplankton concentration is found by applying \(P_l = \%P_l \times [Chla]/100\) and small phytoplankton \(P_s = [Chla] - P_l\). In this way, the concentration of both phytoplankton types at the boundaries of the model is derived from climatologic seasonal cycle of \([Chla]\) and applying the above mentioned relationships.

There is no meaningful information about zooplankton size distribution in the studied region but we can assume that the presence of large phytoplankton enhances the growth of large zooplankton and vice-versa. Thus, the same expressions were applied to both large and small zooplankton. Since no information was available about detritus, we used a constant value of 0.02 (mMol N m\(^{-3}\)) for small and large detritus (ROMS default value) for the initial fields and boundary values.

Boundary conditions were set using climatological monthly data in a 40 km wide resting band along the boundaries. Initial and climatological boundary fields were prepared using ROMS tools package (Penven et al., 2008).

Atmospheric forcing is taken from Weather Research and Forecasting (WRF version 3.1.1; Skamarock, 2008) as described and validated by Soares et al. (2012) and Cardoso et al. (2013). The simulation grid is centered in the Iberian Peninsula and covers the biogeochemical-ocean coupled model domain. The ocean model was forced by 4 h averaged outputs from WRF with 9 x 9 km resolution covering the period 1989 – 2008 (Soares et al., 2012).

**Guadalquivir Estuary Parameterization**

Our model is connected to a virtual estuary representing Guadalquivir River input to the marine shelf ecosystem. A source point was settled at 6.38\(^{\circ}\)W longitude and 36.76\(^{\circ}\)N latitude (Fig. 1), enabling the discharge of riverine-like waters. Monthly values of riverine water characteristics have been measured at La Señuela point within the Guadalquivir estuary by the Confederación Hidrográfica del Guadalquivir for several decades (1989 – 2009). This dataset was used to build a climatologic seasonal cycle of temperature and nitrate, whereas the other tracers in river waters were set to zero. Dam discharges from the same database were used as river run-off flows, and were kept daily to retain changes in nearby ecosystems due to specially rainy or dry years.

Since tides were not included, mixing along the shallow shelf areas is underrepresented. To overcome this limitation at the river point source, a tidal mixing parameterization was included in order to represent nutrient increase in the estuary owing to tidal mixing processes. Total river caudal \(Q_{River}(m^3/s)\) at river source point is equal to both river run-off \(Q_{Run-off}\) plus tidal mixing \(Q_{Tide}\) contributions: \(Q_{River} = Q_{Run-off} + Q_{Tide}\).

Fick’s law states that wherever a substance gradient exists, the substance will have the natural tendency to move in the medium in order to distribute itself. Applying it to the nitrate concentration gradient it becomes:

\[
J = -k_h \frac{\partial[NO_3]}{\partial y}
\]

where \(J\) is the mass diffusion flux (mol m\(^{-2}\)/s), \(k_h\) the horizontal diffusion coefficient of nitrate (m\(^2\)/s) and \([NO_3]\) the concentration of nitrate (mol N m\(^{-3}\)) along the y-axis. The total nitrate flux \(I\) across a boundary (mMols\(^{-1}\)), i.e. the nitrate input rate at river source point due to tides is:

\[
I_{Tide} = k_h A_{section} = \frac{\partial[NO_3]}{\partial y} \times A_{section} = k_h \times \frac{[NO_3]_{River}}{d_{River}} \times A_{River}
\]

The derivative of nitrate with respect to \(y\) can be approximated to the difference of nitrate concentration between the river and sea, and thus as river nitrate concentration \([NO_3]_{River}\) is much higher than in the sea we considered \([NO_3]_{Sea} \approx 0\). The scalar quantities \(d_{River}\) and \(A_{River}\) are related to the river-sea diffusion interface.

Recalling that a river source point is a discharge point, nutrient input contribution by tidal mixing must be converted into a caudal-like term. Total nitrate flux is equal to the caudal multiplied by nitrate concentration of riverine waters and so our new \(Q_{Tide}\) term is given by:

\[
I_{Tide} = Q_{Tide} \times [NO_3]_{River} \Rightarrow Q_{Tide} = \frac{1}{A_{River}} \times I_{Tide}
\]

When entering the system, the \(Q_{Tide}\) term is multiplied by \([NO_3]_{River}\) from Ruiz et al. (2015), we defined a rectangular vertical interface with \(A_{River} = 5800\ m^2\) and a distance of \(d_{Run-off} = 3\ km\). The year cycle of the diffusion coefficient for nitrate at Guadalquivir was obtained from Diez-Minguito et al. (2012), using 2009 year data from Alcalá Dam.

The year cycle of \(Q_{Tide}\) (not shown) is almost constant throughout the year, representing a continuous source of nitrate for our virtual estuary. Besides, according to our parameterization and assumptions, the contribution of this term is of the same order of magnitude as the mean river

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run-off $Q_{\text{run-off}}$ playing a comparable role in nutrient input.

In the river discharge region, the entry of riverine-like waters produces strong bio-tracer gradients together with strong velocity shear, producing an overshoot that destabilizes the advection-diffusion numerical scheme. This issue has been solved as in Peliz et al. (2013a) regarding strait overshooting problems. A Smagorinsky mixing coefficient is implemented to increase mixing and diffusion. This coefficient is maximum at 6.35°W longitude and 36.79°N latitude, next to the river source point, and decays radially within a 15 km zone. The decay is governed by a space sinus function. The entire water column is affected by the calculated Smagorinsky coefficient.

**Satellite data**

In order to evaluate model performance, sea surface temperature (SST) and surface chlorophyll (Chla) concentration were obtained from different satellite missions. SST was acquired from the 4 km Advanced Very High-Resolution Radiometer (AVHRR) Pathfinder Version 5 sea surface temperature (SST) dataset. AVHRR Oceans Pathfinder SST data were obtained from the Physical Oceanography Distributed Active Archive Center (PO.DAAC) at the NASA Jet Propulsion Laboratory, Pasadena, CA (http://podaac.jpl.nasa.gov). Weekly (8-days) SST images from 1989 to 2009 were used.

Ocean surface Chla data were downloaded from the GlobColour Project (http://www.globcolour.info/), which produces global ocean colour maps (Level-3) by merging the data from the three sensors SeaWiFS, MODIS and MERIS. Surface Chla data corresponds to product chlorophyll-a Case I water based on the GSM merging method (Maritorena & Siegel, 2005; Maritorena et al., 2010). Weekly (8-days) surface Chla concentration images from 1998 to 2009 with ~4 km resolution were used.

Both satellite products were extracted for the area covered by our model domain (Fig. 1). Simulated sea surface temperature was extracted from the first sigma vertical level for comparison with satellite SST. Averaged simulated chlorophyll concentrations within the first 10 meters of the water column were used to compare with satellite-derived Chla measurements, as preliminary analysis of model results indicated that the first optical depth (i.e. where incident light reduces to 63%) is usually located close to this depth level. In order to obtain consistent data matrices, the simulated fields were interpolated onto the SST and Chla grid, respectively.

**Zooplankton data**

Zooplankton larger than 200 mm (i.e. mesozooplankton) collected during periodic cruises in the GoC shelf region, between the Guadiana River mouth and Trafalgar Cape, is used here to assess our model results. For the periods March 2002 - September 2004 and May 2005 - August 2007, monthly cruises were conducted on board the RV Regina Maris covering a grid of 30 stations (e.g. Prieto et al., 2009) from the coast to the continental shelf slope. The distance between the coastline and sampling stations ranged from 3 km to 35 km (average of 19 km) with depths varying from 15 m to 150 m (Prieto et al., 2009).

Mesozooplankton samples were collected at all stations following the same procedure. At each sampling point, double-oblique plankton hauls were conducted up to 100 meters (depth-permitting) using a Bongo net with a 40-cm mouth diameter and 200 mm mesh size. Henceforth, as sampling stations were located exclusively over the continental shelf, total integrated mesozooplankton biomass in those stations was effectively measured. All tows were performed at a vessel speed of 2-2.5 knots.

Simulated large zooplankton concentration (in µM N l$^{-1}$) was quantified by estimations of sedimented plankton volumes and the integrated total zooplankton concentration (ml m$^{-3}$) was obtained by multiplying this value by the maximum sampled depth.

The averaged total integrated mesozooplankton concentration distribution was calculated from 2002 to 2007 on the shelf of the Gulf of Cadiz, and was then interpolated to our model regular grid using the kriging interpolation method.

Simulated large zooplankton concentration (in µM N l$^{-1}$) was converted to the equivalent carbon weight ($\mu g$ C kg$^{-1}$) assuming the Redfield C:N ratio (Redfield, 1934) and then into wet weight ($\mu g$ kg$^{-1}$) using the logarithmic relation from Wiebe et al. (1975) and Wiebe (1988). Wet weight was converted into volume (ml m$^{-3}$) by assuming water density ($\rho_w \approx 1 \times 10^3$ kg m$^{-3}$). Total integrated large zooplankton (ml m$^{-2}$) from our simulation was obtained considering zooplankton concentrations within the first 100 m (depth permitting) of the water column (approximately the maximum sampling depth). Simulated total integrated zooplankton was averaged for the same period and locations where cruises were performed.

**Results**

An extensive validation of the physical model is provided by Peliz et al. (2013a, b). In this work we will center on the biological variables (surface Chla and integrated zooplankton biomass).

**Climatological surface patterns**

Comparison of modelled and measured climatological values of SST and surface Chla concentration is shown in Figure 3. The climatological SST distribution (Fig. 3, left panel) is similar in both the model and satellite for the period 1989 - 2008 (Fig. 3A and 3B). The open sea regions of both sub-basins are typically warmer with mean
SST reaching up to 20°C while the coastal zones show lower temperatures especially in regions where mixing and upwelling are common processes (Strait of Gibraltar and southern coast of Portugal). Absolute differences between measured and modelled SST (Fig. 3C) are quite low (global absolute mean difference ~ 0.28°C) whereas there is some stronger disagreement (up to 1°C) in the central coast of the GoC (where models underestimate SST) and in the region typically occupied by the Atlantic Jet (AJ) in the Alboran sea (where models overestimate SST). The general comparison made in the Taylor diagram (magenta star in Fig. 3D) shows quite good agreement with a standard deviation almost identical in the model and data, with a correlation coefficient of 0.83. Mean SST distributions during individual months are also compared in the Taylor diagram of Figure 3D. All data points (red dots) are quite close to the mean value, indicating that the model is performing in a consistent manner throughout the year. The month of June is the one where the correlation between the model and satellite SST is lower but, still, R value is over 0.7. The distribution of mean surface Chla concentration is also quite well reproduced by the model for the period 1998 - 2008 (Fig. 3, right column). Higher surface Chla concentration is measured and simulated in coastal regions of the GoC and Alboran Sea and the trace of the AJ around the Western Anticyclonic Gyre can be seen on both maps (Fig. 3E and 3F). The Taylor diagram clearly shows this concordance, with the standard deviation being quite similar in the model and data and a correlation coefficient of over 0.7 (Fig. 3H). Differences are low in general with a mean absolute difference of ~ 0.11 mg m$^{-3}$ (Fig. 3G). However, quite large differences could be found along the eastern coast of the GoC where the model underestimates

![Fig. 3: Climatological horizontal distribution of observed and modelled SST (°C, left panel) and Chla (mg Chla m$^{-3}$, right panel). Panels A and E show field data distributions. Panels B and F show the corresponding model simulations. Panels C and G correspond with the absolute differences between observed and modelled variables. Panels D and H show the Taylor diagrams for model-data comparison.](http://epublishing.ekt.gr)
mean surface Chla by as much as 1 mg m\(^{-3}\). Monthly climatologic Chla distributions are also quite reasonably reproduced by the model (Fig. 3H) with the majority of data points (red dots) showing R values between 0.45 and 0.67. September and January, however, seem to be less well represented by the model as the correlation coefficients are just 0.37 and 0.32, respectively.

Available zooplankton data is too scarce to allow a thorough comparison with model simulation. Instead, integrated mesozooplankton biomass within the shelf region of the GoC is compared with observations (Fig. 4). In both the model and observations, there is a clearly marked maximum situated over the continental shelf slope extending from North to South with a local maximum located in front of the Guadalquivir River (Fig. 4A and 4B). The time evolutions of measured and modelled mesozooplankton (Fig. 4C) are also quite similar, with a clear annual cycle (maximum level in winter-spring and minimum in late summer-autumn) and an increasing trend through the sampling period (2002 - 2007). Despite the coherence between observed and simulated mesozooplankton values (Fig. 4), the former shows a larger range of values compared to the latter. This prevents direct comparison of modelled and observed values and also explains the much lower standard deviation in simulated zooplankton shown in the Taylor diagram (Fig. 4D).

**Seasonal Chla evolution**

In order to assess the model’s skill to reproduce seasonal productivity patterns, the studied domain has been divided into 7 different bio-regions with coherent dynamics on surface Chla seasonal patterns (Fig. 1). Regions 1 to 5 are located within the GoC and are based on the regionalization made by Navarro & Ruiz (2006), while regions 6 and 7 are located in the western Alboran Sea and are based on the analysis of Macías et al. (2007a). Climatologic seasonal patterns of surface Chla from the model and data in each of these regions are compared in Figure 5. The model seems to reproduce correctly the magnitude and timing of the seasonal Chla evolution in open-sea regions both on the Atlantic side (R1, Fig. 5A) and the Mediterranean side (R6, Fig. 5F) with correlation coefficients higher than 0.8 for both regions (Fig. 5H). Also, seasonal patterns in regions R3 and R4 located over the continental shelf of the GoC (Fig. 1) are quite well simulated in the model with correlation coefficients ~ 0.7 (Fig. 5H) and similar amplitude of the annual cycle (Fig. 5C and 5D). However, in both regions satellite-measured Chla is consistently higher than simulated values, as also shown above in the horizontal comparison in Figure 3 (right panel).

**Fig. 4:** Observed and modelled integrated (0 - 100 m) mesozooplankton biomass (ml m\(^{-2}\)). A) Mean distribution from in-situ data, B) Mean distribution from model simulation, C) Time evolution of measured and simulated biomasses and D) Taylor diagram for model-data comparison.
Seasonal Chla evolutions in regions R2 (Cape S. Vincent area), R5 (Cape Trafalgar zone) and R7 (Estepona upwelling) are not well captured in the model (Fig. 5H). In all cases, correlation coefficients are negative, with modelled Chla reaching maximum values when measured levels are lowest (Fig. 5B, 5E and 5G).

Discussion

The proposed model is (to the best of our knowledge) the unique 3D hydrodynamic-biogeochemical simulation tool able to represent the main characteristics of the southern Iberia regional seas. The suitability of the model to simulate mean hydrodynamic conditions in the region has already been shown in Peliz et al. (2013a) and also its capability to simulate inter-basin water interchanges in hindcasting mode (Boutov et al., 2014).

The biogeochemical model used here is quite similar to the one developed for different regions of the Mediterranean Sea by Oguz et al. (2013) on a 1D configuration and also to the one used by Macias et al. (2014) to simulate the 3D dynamics of the pelagic ecosystem of the open Mediterranean basin.
comparison of observed and simulated biological variables (Chla and mesozooplankton biomass) indicates that the proposed biogeochemical model is also suitable for representing the different ecosystems found in this particular region. Henceforth, this biogeochemical code could be considered as containing the minimum elements necessary to represent the main characteristics of pelagic ecosystems in a regional context.

However, the large discrepancy between observed and modelled mesozooplankton biomass values (Fig. 4) requires further investigation. First of all, it must be considered that modelled zooplankton is a closure term of the model and not an accurate representation of the real zooplankton compartment, a common problem to all low trophic level models (e.g. Fasham et al., 1990; Macias et al., 2012). Also, as pointed out by Lohman (1908), the sedimentation technique that produced mesozooplankton in-situ data can overestimate its abundance by a factor between 4 and 51. Thus, maximum measured total mesozooplankton bio-volume can actually be between 2.55 and 32.5 ml m$^{-2}$, falling within the range of mesozooplankton values obtained with the simulations. Therefore, mesozooplankton biomass comparisons should only be considered a qualitative exercise.

Concerning surface Chla, even if the performance of the model could be considered generally adequate (as shown by the Taylor diagram in Fig. 3H) there are some obvious problems and mismatches in certain areas that could have different origins. For example, in many coastal regions of the GoC, the model underestimates the concentration of surface Chla (Fig. 3G) over the continental shelf. The seasonal evolution of Chla in those regions (regions R3 and R4 in Fig. 1) is quite well captured by the model (Fig. 5) although a quasi-permanent underestimate is simulated along the seasonal cycle (Figs. 5C and 5D). Here we must consider that only one river (the Guadalquivir) is contemplated in our model set-up while several other (smaller) rivers discharging in the zone are not included. This could lead to smaller simulated production because of lower riverine fertilization, although the Guadalquivir has been typically described by far as the main contributor to marine coastal productivity in the GoC (e.g. Prieto et al., 2009).

Also, the mismatch between observed and modelled Chla in this coastal region could be partially due to the well-known overestimation of satellite-derived estimates in type II coastal waters (e.g. Ruddick et al., 2000). In regions with high sediment loads and concentration of humic substances, algorithms to derive Chla concentration fitted for open sea regions tend to overestimate real Chla values (Toole & Siegel, 2001; Otero & Siegel, 2004). This is also true for the GoC where satellite estimates of Chla concentrations seems to fit very well with in-situ measures in the open sea regions (e.g. Navarro & Ruiz, 2006) while quite a consistent bias has been described for coastal, shallow regions (Caballero et al., 2014). Henceforth, the large differences between observed and modelled Chla values along the coast of the GoC could be due to a combination of an overestimation of satellite data and an underestimation of model simulation, the true value being somewhere in between.

In this GoC coastal area there is also a clear underestimation of modelled SST when compared with observations (Fig. 3C). This underestimation happens in a narrow band parallel to the coast along the continental shelf break (Fig. 3C). This is the region typically occupied by the ‘Huelva front’ (García et al., 2002) created by the upwelling of deep waters along the submarine canyon of Cape Santa Maria further west (Bruno et al., 2006). The colder-than-observed surface waters in our model could be an indication that the upwelling process in this region is being overestimated by the hydrodynamic model. This should be studied in future model implementations.

It is worth mention here that the model setup did not include a benthic compartment that is not relevant in open-water settings but must be of importance in shallower regions near the coast. This is particularly important when considering the effect that suspended particles (mainly sediments and terrestrial runoffs) have on primary production around the Guadalquivir River mouth (e.g. Prieto et al., 2009; Ruiz et al., 2013). Very close to the estuary, the limiting factor for primary production is not nutrient availability (which is usually in excess) but light (e.g. Navarro et al., 2012). This light limitation is mainly caused by extremely high levels of suspended sediments in this coastal region (e.g. Ruiz et al., 2013; Caballero et al., 2014). Not incorporating the effect of suspended material on the light environment of the model could be partially responsible for the larger differences between observed and modelled Chla levels in the coastal regions of the GoC.

Another evident short-cut in the physical model setup is the lack of tidal dynamics. Tides are of little importance in the Alboran Sea but they are relevant in GoC shallow areas and, specially, in the Strait of Gibraltar. Tidally-induced currents could be important in shallow, coastal regions where the continental shelf is wide (Sammari et al., 2006) as is the case of the GoC (e.g. García-Lafuente et al., 2006). The effect of these tidally-induced currents would be to increase the sediment/water interchange and also to favour estuary/coastal mixing, thus enhancing nutrient loads in the marine environment.

A clear example of the importance of the tides is the Guadalquivir estuary. Preliminary simulations with our model were performed only considering river run-off from the estuary and neglecting tidal contribution (see Methods). In such runs (results not shown), only significant biological productivity was simulated at the river mouth during autumn and winter when precipitation is important, with the rest of the year showing very low production (in this simulation, mean annual phytoplankton biomass computed for R4 was 50% lower than its actual values). This is certainly not the annual cycle described for this region in previous works (e.g.
Navarro & Ruiz, 2006; Prieto et al., 2009) and not the one observed in the satellite record (Fig. 5D). With the inclusion of the tidal mixing parameterization explained above, simulated production levels increased to nearly the same range as observed values and the seasonal cycles were also more similar. However, the fact that climatological mean surface Chla is lower in the model than in the data for this particular region (Fig. 3G) could be indicating that we are still missing an important part of the coastal mixing processes induced by tidal dynamics.

As already commented, the importance of tides within the GoC is larger the closer we get to the Strait of Gibraltar. This is evident, for example, when examining R5 around Cape Trafalgar (Fig. 5E). In this case, the correlation coefficient is negative and quite high, indicating that the model is not able to even pick-up the right seasonality given that maximum simulated Chla levels are found during winter while observed maximum levels are reached during spring and at the end of summer. It has already been noted that surface Chla seasonality in this R5 is mostly related with the fortnightly and seasonal variations of tidal amplitude (Navarro & Ruiz, 2006; Navarro et al., 2011); therefore, ‘misbehaviour’ of the model in this region is expected.

The same could be said for R7 with a negative insignificant correlation between the model and the data (Fig. 5H). Primary production dynamics in this region is linked to the coastal upwelling which is favoured by wind forcing (e.g. Sarhan et al., 2000; Macías et al., 2009) and by the dynamics of the Atlantic jet (AJ) entering through the Strait of Gibraltar (e.g. Macías et al., 2007b). Both mechanisms are linked (at the subinertial scale) through the effects that sea level pressure over the western Mediterranean has on AJ velocity (e.g. Candela et al., 1989) and on local wind conditions (Macías et al., 2007a). However, the AJ dynamics are also strongly influenced by the tidal baroclinic forcing at the Strait (e.g. Sánchez-Garrido et al., 2013), which is missed in our model. Tidal mixing within the main channel of the Strait fertilizes the A3 (e.g. Macías et al., 2006; Ramírez-Romero et al., 2014) enhancing primary production on the western shelf of the Alboran Sea (Macías et al., 2007a) and explaining the higher observed Chla concentration with respect to the model simulations. The missing tidal effect is also visible in the simulated SST, as this region is too warm when compared with observations (Fig. 3C). Periodic enhancement of AJ velocity in the model of the strait favours interfacial mixing (e.g. Bruno et al., 2002; García-Lafuente et al., 2002) and could be easily identified by remote sensing as a strong cooling of surface waters (e.g. Bruno et al., 2013). Our model, even if correctly reproducing the mean fluxes through the Strait (Peliz et al., 2013b), is lacking these cyclic, recurrent mixing processes and, hence, simulates warmer than observed SST.

Finally, the mismatch between observed and simulated Chla in R2 around Cape San Vincent (Fig. 5H) could, very likely, be related with the geographical position of this zone in close vicinity with the model boundaries (Fig. 1). This area around Cape San Vincent presents productivity dynamics clearly linked with the upwelling region off the western Portuguese coast (Navarro & Ruiz, 2006). Observed Chla presents maximum values during summer (Fig. 5B), coincident with maximum intensity northerly winds along the Portuguese coast, which favours upwelling (Fiúza, 1983; Relvas & Barton, 2002) in this eastern boundary current system (García-Lafuente & Ruiz, 2007). Our model, however, simulates maximum concentrations during winter-spring and does not capture the observed seasonality.

Despite the limitations indicated above, the proposed model could be a useful tool for gaining a comprehensive understanding of the functioning of the southern Iberia regional seas. The additional computational effort necessary to run the ocean model with this ecosystem model is not disproportionate when compared with the model containing only physical processes. Therefore, using a double compartment model is a good compromise to resolve lower trophic levels in the Gulf of Cadiz and the Alboran Sea without adding an excessive numerical burden.

With the appropriate atmospheric forcing and boundary conditions, this tool will help to understand the past (hindcast) and future (forecast) evolution of the region. Still, some work is needed in order to reduce the current mismatch between observations and simulations, especially regarding the effect of tidal dynamics and the inclusion of some additional fertilization sources (mainly rivers) in the model configuration. This refinement would bring greater accuracy to simulated biogeochemical fields on the shelf of the Gulf of Cadiz and the western Alboran Sea.

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